Homework 5 Solution

Problem 1: Design a scheduling algorithm which ensures that over a relatively long interval CPU time is divided evenly between all tasks. For example, consider a system running this algorithm with two tasks, one I/O bound, the other compute bound. The run time of the tasks is long compared to the interval. The I/O-bound task and the CPU-intensive task would each get 50% of the CPU time (unless the time to complete I/O requests is very large).

Key Points:

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- When a task goes into the **Wait** state it normally forfeits the remainder of its quantum.
- The scheduling algorithm should allow the task to "catch up."

Solution:

Use two priority levels:

- 1: Normal tasks.
- 2: Tasks which have fallen behind.

Within each priority level, use FCFS scheduling.

OS is task-preemptive.

The following actions are taken when a priority-1 task must wait:

- The remaining time in its quantum is stored, use symbol $t_{\rm rq}$ for this time.
- The time at which it went into the wait state is stored, $t_{\rm w}$.
- Its priority is set to 2 and it is placed in the wait list.

Priority 1 tasks used a fixed quantum and are scheduled normally.

- Tasks at priority 2 will be allowed to run for a total of $t_{\rm rq}$, after which they will move back to priority 1.
- When a task is moved back to the priority-1 ready list, its arrival time is set to t_w , not the current time.
 - By setting the arrival time to this value the task does not loose its place in line.
- Priority 2 task X is run with a quantum of $t_{rq}(X)$, for all X at priority 2.
- If it uses up its quantum it is moved back to priority 1.
- Otherwise $t_{rq}(X)$ is replaced with $t_{rq}(X) t_x$, where t_x is the amount of time it ran.

Problem 2: Find timing constraints for the code in the self-balancing washing machine example. Briefly justify each constraint. Show how the code might be scheduled, including interrupt handlers and tasks. Show a situation in which there might be timing difficulties and explain how they might be resolved.

Solution steps:

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- Estimate run times.
- Estimate timing constraints.
- Find scheduling.

Run Times

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- CDT, $t_h = 1 \,\mu$ s. Time is small because it only has to increment a variable and, sometimes, read a wobble.
- SPEED, $t_h = 5 \,\mu$ s. Must compute speed and update a table. Checking for table-length overflow and other conditions results in the longer run time.
- SPRAY, $t_h = 50 \,\mu$ s. In addition to adjusting actuators must set next timer interrupt. It might have to do some computation to determine when the next timer interrupt should be.

wobble, run time 500 ms.

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Timing Constraints

Suppose maximum spin speed is 1200 RPM.

Suppose CDT has 1024 marks.

Then minimum period for CDT is $49 \,\mu s$.

Reasonable assumption: response must occur before next event.

Constraint:

Normal:Mark \longrightarrow CtrInc $< 49 \,\mu s$,

where event *Mark* occurs when a mark passes under mark readers in the CDT,

and response CtrInc occurs when CDT finishes.

Similarly, for speed:

Normal:Speed \longrightarrow Cntr $< 49 \,\mu s$,

where event Speed occurs at the timer interrupt and,

response Cntr occurs after SPEED has run.

- Suppose buckets had a target that was 30° wide and jets could turn on or off no more than 10° late.
- Then response time constrain is the time for the tub to turn 10° at maximum speed.

Normal:JetOnI \longrightarrow JetOn < 1.39 ms,

Normal:JetOffI \longrightarrow JetOff $< 1.39 \,\mathrm{ms},$

where event JetOnI and JetOffI are the respective timer interrupts,

and response JetOn and JetOff occur when the SPRAY handler

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finishes.

Scheduling

- The SPRAY handler's run time could result in CDT or SPEED missing their deadlines so:
- Strong priority 2: CDT and SPEED.
- Strong priority 1: SPRAY.
- The wobble task will be scheduled as a dæmon task since it is not associated with any hard deadlines.

	Strong Pri.	Weak Pri.	Handler Run Time	Occurrence
$\frac{\mathrm{Mane}}{A}$	<u></u>	<u> </u>		Deriodia $t_1(A) = 54 \mu c$
A	ა	ა		Periodic, $t_b(A) = 54 \mu s.$
B	3	2	$4\mu{ m s}$	Twice, any time between occurrences of A .
C	3	1		Once, any time between occurrences of A .
D	2	1	$50\mu s$	Periodic, $t_b(D) = 23 \mathrm{ms.}$
E	1	1		One shot.

Event B will not recur until after a previous occurrence of event B has been responded to. That is, there cannot be an occurrence of B after an occurrence of B and before the response for this occurrence of B.

Events A and C occur the same number of times, B occurs twice as many times as A and C.

Solution:

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Strong Priority Level 3:

Latency of A: $t_l(A) = t_h(C) = 12 \,\mu s.$

Latency of *B*: $t_l(B) = t_h(A) + t_h(C) = 22 \,\mu s.$

Event B can occur twice just before and just after A so:

Latency of C: $t_l(C) = t_h(A) + 4t_h(B) = 26 \,\mu s.$

- Actual run times: $t_a(A) = t_h(A), t_a(B) = t_h(B), \text{ and } t_a(C) = t_h(C).$
- Since there is no preemption at the highest strong priority level response times are sum of latency and actual run times:
- $t_r(A) = t_l(A) + t_a(A) = 22\,\mu\text{s}, \ t_r(B) = t_l(B) + t_a(B) = 26\,\mu\text{s},$ and $t_r(C) = t_l(C) + t_a(C) = 38\,\mu\text{s}.$

Unlucky situation for D: C, two Bs, an A, 2 Bs, and a C.

Latency of D: $t_l(D) = t_h(A) + 4t_h(B) + 2t_h(C) = 50 \,\mu s.$

A similar unlucky situation:

Actual duration $t_a(D) = 3t_h(A) + 8t_h(B) + 4t_h(C) + t_h(D) = 160 \,\mu\text{s}.$ In this case, response time $t_r(D) = t_a(D).$

Strong Priority Level 1:

Latency of E is response time of D, $t_l(E) = 160 \,\mu\text{s}$. Actual duration is $t_a(E) = t_r(D) + t_h(E) = 170 \,\mu\text{s}$. Response time is $t_r(E) = t_a(E) = 170 \,\mu\text{s}$. 7